

THE HEAT EXCHANGE CHARACTERISTICS OF A CIRCULAR DUCT CONSIDERING AND NEGLECTING THE INFLUENCE OF HEAT RADIATION

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ABSTRACT

A heat radiation equation contains 4th exponential order of temperature which makes mathematics analysis very complicated, therefore, most heat transfer experts and scholars believe, based on their own experiences, that the heat radiation effect can be ignored due to small temperature difference between duct surfaces and surrounding to simplify analysis. Due to this reason, examples shown in most heat transfer, air conditioning and refrigeration text books, and commercial design of heat exchanger, commonly ignore the effect of heat radiation. This paper studies in detail for complete heat transfer characteristics of a circular duct with heat radiation effect taken into account. It is found that, in some practical conditions, the heat radiation effect can not be ignored especially in cases of lower ambient convection heat coefficients and larger surface emissivities, as well as the smaller the duct size or the greater the duct conductivity or internal fluid convection coefficients, even though the temperature-difference between inner and outer fluid-temperatures of duct is very low (such as 1 °C). In most situations, ignoring heat radiation is likely to produce large errors and degrade the design quality of a heat exchanger. It is also proved that a larger surface emissivity can greatly improve the performance of a heat exchanger.

Keywords : Circular duct, heat exchanger, heat radiation, heat convection, emissivity

Nomenclature

ε = emissivity

A_1 = inner surface area of a duct

A_2 = outer surface area of a bare duct

h_i = internal heat convection coefficient

h_o = external heat convection coefficient

h_r = outer radiation heat convection coefficient

HR = percentage of convection heat coefficient ratio

K_A = conductivity of duct

L = length of oval duct

N_u = Nusselt Number, $2r_2h_o/K_A$

q = total heat transfer rate without considering heat radiation

q_a = total heat transfer rate considering heat radiation;

$$q_a = q_c + q_r$$

q_c = convection heat transfer rate

q_r = radioactive heat transfer rate

QR = error of heat transfer rate generated by without considering heat radiation

r_1 = inner radius of circular duct

r_2 = outer radius of circular duct

SR = error of surface temperature generated by neglecting heat radiation

TR = absolute temperature ratio between inside and outside fluids of duct

t_1 = thickness of duct

T_2 = surface temperature generated by neglecting heat radiation

T_{2a} = surface temperature generated by considering heat radiation

T_i = temperature of the fluid inside the duct

T_o = temperature of the fluid outside the duct

T_{sur} = temperature of the outside surrounding

Introduction

The heat exchange of cold/hot ducts is commonly encountered in industry and building applications; hence, they have been important research objects for many decades. Conventionally heat radiation effects are normally neglected because a heat radiation equation contains 4th exponential order of temperature which in turn makes analysis complicated. The negligence is seemingly harmless for cases with small temperature differences between duct surfaces and surrounding. From this aspect, examples demonstrated in most heat transfer text books [1-8], air conditioning and refrigeration text books [9-12], and in many research papers or even in the practices of most commercial heat exchanger design commonly ignore the influence of heat radiation even in situations involving low convection coefficients. Such examples can be found in the following papers, which all neglected the influence of heat radiation: Moawed [13] completed the experimental investigation of natural convection from vertical and horizontal helicoidal pipes in HVAC applications, Kasayapanand [14] considered Electrode arrangement effect on natural convection, Wang et. al [15] studied the performance of a new gas to gas heat exchanger with strip fin, Bhowmik and Tou [16] finished the experimental study of transient natural convection heat transfer from simulated electronic chips, Desrayaud et. al [17] researched the natural convection air-cooling of a substrate-mounted protruding heat source in a stack of parallel boards,. Kasayapanand [18] did the

numerical modeling of natural convection in partially open square cavities under electric field, and Stickland et. al [19] completed an experimental investigation of natural convection with solidification in a differentially heated cavity.

In the present investigation, the influence of heat radiation is taken into account when computing heat-transfer characteristics of a circular duct and the results are compared with those neglecting heat radiation. This highlights the inaccuracy of the heat exchange characteristics of a circular duct obtained by neglecting the influence of heat radiation.

Problem Formulation

Fig. 1 shows that a circular duct with duct thickness t , outer and inner radii r_2 and r_1 , duct length L , internal and external fluids with convection heat transfer coefficients h_i and h_o and internal and external fluid-temperatures T_i and T_o , respectively, wall conductivity K_A and with surface emissivity ε , exposed to the outside surrounding temperature T_{sur} .

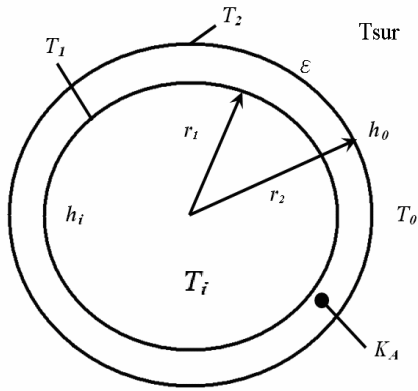


Fig. 1、 The circular duct and its relative parameters

Cases with the influence of heat radiation being neglected

While the influence of outside surface heat radiation is not considered, it can be seen from Fig. 1 that the heat transfer rate of a circular duct can be written as:

$$q = \frac{T_i - T_o}{\frac{1}{h_i 2\pi r_1 L} + \frac{\ell_n \frac{r_2}{r_1}}{2\pi K_A L} + \frac{1}{h_o 2\pi r_2 L}} = \frac{T_i - T_o}{\frac{1}{h_o 2\pi r_2 L}} \quad (1)$$

That is, heat transfer rate q and surface temperature T_2 for situations without considering the influence of outside surface heat radiation can be obtained from equation (1).

Cases with the influence of heat radiation being considered

While the influence of external surface heat radiation is considered, the complete heat transfer rate of a circular duct can be expressed as:

$$q_a = \frac{T_i - T_{2a}}{\frac{1}{h_i 2\pi r_1 L} + \frac{\ell_n \frac{r_2}{r_1}}{2\pi K_A L}} \quad (2)$$

where T_{2a} is the actual surface temperature in situations of considering the influence of heat radiation. The surface convection heat transfer rate is:

$$q_c = h_o 2\pi r_2 L (T_{2a} - T_o) \quad (3)$$

The surface radiation heat transfer rate is:

$$q_r = \sigma \varepsilon 2\pi r_2 L (T_{2a}^4 - T_{sur}^4) \quad (4)$$

The energy balance reads:

$$q_a = q_c + q_r \quad (5)$$

Thus, the total heat transfer rate q_a and actual surface temperature T_{2a} for situations considering the influence of external surface heat radiation can be obtained from equations (2)~(5).

Comparing Eqs. (1) and (3), we obtain

$$\text{If } \varepsilon \neq 0, \text{ then } T_{2a} \neq T_2, \text{ then } q_c \neq q = h_o 2\pi r_2 L (T_2 - T_o).$$

The outer radiation heat convection coefficient can be derived from Eq. (4):

$$h_r = \sigma \varepsilon (T_{2a}^2 + T_{sur}^2) (T_{2a} + T_{sur}) \quad (6)$$

where h_r is conventionally used to compare with the heat convection coefficient h_o and show the significant effect of radiation. The error of heat transfer rate generated by neglecting heat radiation effect can then be defined as:

$$QR = \left(1 - \frac{q}{q_a} \right) \times 100\% \quad (7)$$

The ratio between the radiation and convection coefficients is defined as:

$$HR = \frac{h_r}{h_o} \times 100\% \cong \frac{2\pi r_2 L (T_{2a} - T_{sur}) h_r}{2\pi r_2 L (T_{2a} - T_o) h_o} \times 100\% = \frac{q_r}{q_c} \times 100\% \quad (8)$$

Here, HR also is equivalent to $q_r/q_c \times 100\%$ under the condition $T_o = T_{sur}$. A high value of HR signifies more importance the influence of heat radiation.

For a circular duct, Nusselt number is defined as:

$$N_u = \frac{h_0 (2r_2)}{K_A} \quad (9)$$

The ratio between the absolute temperatures of inside and outside fluids of duct is defined as:

$$TR = \frac{T_i}{T_0} \quad (10)$$

The error of surface temperature produced by neglecting heat radiation effect is defined as:

$$SR = \left(1 - \frac{T_2}{T_{2a}}\right) \times 100\% \quad (11)$$

Numerical Heat Transfer Results

There exists a one-dimensional exact solution for the energy equation of a circular duct. In this paper, the exact solution is obtained by a one-dimensional LabVIEW programming. According to the emissivities shown in Table 1, $\epsilon=0.8$ or 0.9 and $\epsilon=0.1$ or 0.2 are adopted to represent the high and low surface emissivity cases, respectively. In Table 2, it can be seen that most of the natural convection coefficients of air are below $10 \text{ W/m}^2\text{-K}$; even in the cases of high air velocities, the forced convection coefficients are less than $100 \text{ W/m}^2\text{-K}$. Thus, a convection coefficient of $30 \text{ W/m}^2\text{-K}$ can represent the convective heat-transfer effect from medium wind speed. Therefore, $h = 10$ and $30 \text{ W/m}^2\text{-K}$ are selected to represent low and medium convection coefficients of air.

On the other hand, even the natural convection coefficients of water are normally larger than $890 \text{ W/m}^2\text{-K}$, and most forced convection coefficients of water are over $5000 \text{ W/m}^2\text{-K}$. Therefore, $h = 5000 \text{ W/m}^2\text{-K}$ is assumed to represent medium forced convection coefficients of water. In most industrial applications, carbon steel, with a conductivity of $K_A = 77 \text{ W/m}^2\text{-K}$ shown in Table 3, is used as the duct material in this study.

In order to check if the computer results are reliable, the following measures are adopted:

- (1). Let surface emissivity $\epsilon=0$, check for the resulted QR being zero.
- (2). Let surface emissivity $\epsilon > 0.8$ and external convection coefficient $h_o > 5000 \text{ W/m}^2\text{-K}$, check for the resulted QR being close to zero.

Table 1. The emissivities ϵ of various substances from the manual of infrared temperature demonstrator [20]

Human Skin	0.98
Gold	0.02
Silver	0.02
Aluminum	Weathered=0.83; Foil (bright)=0.04 Disk, rough=0.96
Copper	polished=0.05 oxidized=0.78
Iron	cast(ox)=0.64 sheet, rusted=0.69
Stainless steel	polished=0.16 Oxidized=0.85
Steel	polished=0.07 Oxidized=0.79
Nickel	Electro pole=0.05
Brick	0.81
Carbon	0.95
Concrete	0.95
Glass	0.84-0.97
Paint oil	0.94
Paper, white	0.70
Paper,	0.89
Plaster	0.86
Rubber, black	0.95
Wood, oak	0.90
White ceramic	0.91
Black painting	0.96
Oil, lubricant	film 0.03mm=0.27 film 0.13mm=0.72 thick=0.82
Soil	dry=0.92 saturated water=0.95
Water	distilled=0.96 frost=0.98 snow=0.85

Table 2 Referred approximate values of convection heat transfer [3]

Approximate values of convection heat transfer, $h(\text{W/m}^2\text{-K})$	
Mode	h ($\text{W/m}^2\text{-K}$)
Natural convection	
Temp. Diff. =30 °C Vertical plate 0.3 in high in air	4.5
Temp. Diff. =30 °C Vertical plate 0.3 in high in air	6.5
Horizontal cylinder, 2 cm diameter, in water	890
Heat transfer across 1.5 cm vertical air gap with Temp.Diff. =60 °C	2.64
Forced convection	
Air flow at 2 m/s over 0.2-m square	12

plate	
Air flow at 35 m/s over 0.75-m square plate	75
Forced convection	h (W/m ² -K)
Air at 2 atm flowing in 2.5 cm diameter tube at 10 m/s (=36km/hr)	65
Water at 0.5 kg/s flow in 2.5 cm diameter tube	3500
Air flow across 5 cm diameter cylinder with velocity of 50 m/s(=180km/hr)	180
Boiling water	
In a pool or container	2500–35,000
Flowing in a tube	5000- 100,000
Condensation of water vapor, 1 atm	
Vertical surfaces	4000– 11,300
Outside horizontal tubes	9500– 25,000

Table 3 Referred approximate values of thermal conductivities [3]

Thermal conductivity of various materials at 20 °C	
Material	K (W/m-K)
Metals	
Copper (pure)	386
Aluminum (pure)	204
Carbon steel, 1 % C	73-77
Carbon steel (18%Cr, 8%Ni)	43
Cast iron	16
Nonmetallic solids	
Glass, window	0.78
Plaster, gypsum	0.48
Metal lath	0.4
Woof lath	0.28
Teflon	0.35
Asphalt	0.7
Wood fiber sheet	0.047
wool	0.038
Glass fiber	0.035
Building brick common	0.69
Building brick face	1.32
Concrete, cinder	0.76
Stone, 1–2–4 mix	1.37
Graphite, pyrolytic	
Perpendicular to layers	5.6
Polyethylene	0.33
Polypropylene	0.16
Polyvinylchloride	0.09
Rubber, hard	0.1

Results and Discussions

For the current results to be applicable to more general cases, all the results are shown in dimensionless parameters. At first, we examine the cases with conditions of $K_A=77\text{W/m-K}$, $r_1=195\text{mm}$, $r_2=200\text{mm}$

and fixed $T_i=573\text{K}$ with varying $T_o=T_{sur}$ from 286.5K to 572K ($TR=T_i/T_o=1.0017$ to 2), and the results are shown in Figs. 2~4. Figs. 2 and 3 show that the heat transfer rate errors QR and percentage of convection coefficients ratio HR are strongly affected by the absolute temperature ratio TR , external convection coefficient h_o , the surface emissivity ε and internal convection coefficient h_i . As TR increases, QR and HR decrease. Conditions of smaller values of TR , h_o and higher values of ε and h_i tend to result in higher values of QR and HR (a high value of HR signifies more importance the influence of heat radiation).

It is surprising that even in situations of very small TR (for example, $TR=1.0017$ from $T_i=573\text{K}$ and $T_o=T_{sur}=572\text{K}$), the resulted QR and HR are quite large. We first suspected that this might be caused by the high level of $T_i=573\text{K}$ ($=300^\circ\text{C}$) which in turn gives rise to higher h_r and q_r . Therefore, investigate the second set of cases with conditions of $K_A=77\text{W/m-K}$, $r_1=195\text{mm}$, $r_2=200\text{mm}$ and fixed $T_o=T_{sur}=300\text{K}$ with varying T_i from 301 K to 600 K as shown in Figs. 5~7.

Figs. 5 and 6 also show that QR and HR are strongly affected by TR , h_o , ε and h_i . Comparing with the previous set of cases, the main difference is that QR and HR increase as TR increases, and smaller h_o and higher TR , ε and h_i tend to result in higher QR and HR . Even in the situations of smaller TR (for example, $TR=1.0033$ from $T_i=301\text{K}$ and $T_o=T_{sur}=300\text{K}$), the resulted values of QR and HR are still quite high.

Figs. 4 and 7 show that the errors of surface temperature SR , are strongly affected by TR , ε , h_o and h_i . The negative value of SR is caused by T_{2a} less than T_2 . The greater the TR or ε or h_i , or the smaller the h_o is, the greater the absolute value of SR will be.

The third set of cases are with conditions of $K_A=1.7\text{W/m-K}$, $r_1=165\text{mm}$, $r_2=170\text{mm}$, $T_i=100^\circ\text{C}$ and $T_o=T_{sur}=30^\circ\text{C}$, and the results are shown in Figs. 8~10. Figs. 8~10 show that QR , HR and SQ are strongly affected by the Nusselt number Nu , ε and h_i . Here, QR and HR decrease but SR increases as Nu increases. The smaller the Nu ($Nu=2r_2h_o/K_A$, i.e., the smaller the r_2 or h_o or the greater the K_A), the higher the ε and the smaller the h_i are, the higher the QR , HR and the absolute value of SR become. Fig. 10 shows that the absolute value of SR become smaller in situations of $h_i=5000\text{W/m}^2\text{-K}$, because higher h_i causes smaller internal convection thermal resistance.

In order to demonstrate the main differences between the heat transfer characteristics of situations with and without considering heat radiation, the detail data of cases with $h_o=10\text{W/m}^2\text{-K}$, $h_i=30\text{W/m}^2\text{-K}$, $K_A=77\text{W/m-K}$, $r_1=195\text{mm}$, $r_2=200\text{mm}$, $T_o=T_{sur}=300\text{K}$ with $T_i=301\text{K}\sim 600\text{K}$ are listed in Table 4. It can be found in Table 4 that the values of q_c are different from those of q . For example, the data for $TR=1.1$ and $\varepsilon=0.9$ in Table4(a) show that $q_a=390.65\text{W/m}$ ($>q=270.81\text{W/m}$) and $q_r=147.47\text{W/m}$, $q_c(=243.18\text{W/m})\neq q(=270.81\text{W/m})$,

$T_{2a}(=46.20^{\circ}\text{C}) < T_2(=49.20^{\circ}\text{C})$. The error $QR=28.12\%$, $HR=60.64\%$ and $SR=-6.48\%$ are quite large. This can be explained from equations (1) and (3) that if $\varepsilon \neq 0$, $T_{2a} \neq T_2$, q_c will not equal to q ($\varepsilon=0$). As a result, even in a very small temperature difference of $T_i=301\text{K}$ and $T_o=T_{sur}=300\text{K}$ ($TR=1.0033$ and $\varepsilon=0.9$ in Table 4(a)), $q_a=12.83\text{W/m}^2 (>q=9.36\text{W/m}^2)$ and $q_r=4.53\text{W/m}^2, q_c(=8.30\text{W/m}^2) \neq q(=9.36\text{W/m}^2)$. The error $QR=24.69\%$ and $HR=55.26\%$ are quite large. It can be concluded from above findings that the heat transfer rate calculated by neglecting the heat radiation is not satisfactorily accurate. Therefore, the heat radiation effect can not be ignored, especially in situations of lower h_o and higher ε .

Table 4 Demonstrated example of $h_o=10\text{ W/m}^2\text{-K}$, $h_i=30\text{ W/m}^2\text{-K}$, $K_A=77\text{W/m-K}$, $t_1=5\text{mm}$, $r_2=200\text{mm}$, $T_o=T_{sur}=300\text{K}$ with $T_i=301\text{K}\sim 600\text{K}$

(a) $\varepsilon=0.9$

TR ^o	q _a ^o w/m ²	q _r ^o w/m ²	q _c ^o w/m ²	q ^o w/m ²	QR ^o %	HR ^o %	T _{2a} ^o °C	T ₂ ^o °C	SR ^o %
1.0033 ^o	12.83 ^o	4.53 ^o	8.30 ^o	9.36 ^o	26.49 ^o	55.26 ^o	27.50 ^o	27.59 ^o	-0.33 ^o
1.1 ^o	390.65 ^o	147.47 ^o	243.18 ^o	270.81 ^o	28.12 ^o	60.64 ^o	46.20 ^o	49.20 ^o	-6.48 ^o
1.2 ^o	799.51 ^o	319.39 ^o	480.12 ^o	561.61 ^o	29.76 ^o	66.52 ^o	65.01 ^o	71.54 ^o	-9.97 ^o
1.3 ^o	1227.23 ^o	516.63 ^o	710.60 ^o	842.41 ^o	31.36 ^o	72.70 ^o	83.40 ^o	93.89 ^o	-12.58 ^o
1.4 ^o	1674.19 ^o	739.70 ^o	934.49 ^o	1123.22 ^o	32.91 ^o	79.15 ^o	101.22 ^o	116.23 ^o	-14.84 ^o
1.5 ^o	2140.56 ^o	988.82 ^o	1151.74 ^o	1404.02 ^o	34.41 ^o	85.85 ^o	118.50 ^o	138.57 ^o	-16.94 ^o
1.6 ^o	2626.31 ^o	1263.97 ^o	1362.34 ^o	1684.83 ^o	35.85 ^o	92.78 ^o	135.26 ^o	160.92 ^o	-18.97 ^o
1.7 ^o	3131.24 ^o	1564.87 ^o	1556.37 ^o	1965.63 ^o	37.23 ^o	99.90 ^o	151.50 ^o	183.27 ^o	-20.97 ^o
1.8 ^o	3655.03 ^o	1891.08 ^o	1763.95 ^o	2246.44 ^o	38.54 ^o	107.21 ^o	167.22 ^o	205.62 ^o	-22.96 ^o
1.9 ^o	4197.20 ^o	2241.98 ^o	1955.22 ^o	2527.24 ^o	39.79 ^o	114.67 ^o	182.44 ^o	227.96 ^o	-24.95 ^o
2.0 ^o	4757.24 ^o	2616.87 ^o	2140.37 ^o	2808.05 ^o	40.97 ^o	122.26 ^o	197.18 ^o	250.31 ^o	-26.95 ^o

(b) $\varepsilon=0.1$

TR ^o	q _a ^o w/m ²	q _r ^o w/m ²	q _c ^o w/m ²	q ^o w/m ²	QR ^o %	HR ^o %	T _{2a} ^o °C	T ₂ ^o °C	SR ^o %
1.0033 ^o	9.79 ^o	0.57 ^o	9.22 ^o	9.36 ^o	4.30 ^o	6.14 ^o	27.58 ^o	27.60 ^o	-0.04 ^o
1.1 ^o	294.82 ^o	18.83 ^o	275.99 ^o	280.80 ^o	4.76 ^o	6.83 ^o	48.81 ^o	49.20 ^o	-0.78 ^o
1.2 ^o	592.78 ^o	41.85 ^o	550.93 ^o	561.61 ^o	5.26 ^o	7.60 ^o	70.69 ^o	71.54 ^o	-1.20 ^o
1.3 ^o	894.24 ^o	69.58 ^o	824.66 ^o	842.41 ^o	5.80 ^o	8.44 ^o	92.47 ^o	93.89 ^o	-1.53 ^o
1.4 ^o	1199.61 ^o	102.55 ^o	1097.06 ^o	1123.22 ^o	6.37 ^o	9.35 ^o	114.15 ^o	116.23 ^o	-1.82 ^o
1.5 ^o	1509.28 ^o	141.31 ^o	1367.97 ^o	1404.02 ^o	6.97 ^o	10.33 ^o	135.71 ^o	138.58 ^o	-2.11 ^o
1.6 ^o	1823.69 ^o	186.43 ^o	1637.26 ^o	1684.83 ^o	7.61 ^o	11.39 ^o	157.14 ^o	160.92 ^o	-2.41 ^o
1.7 ^o	2143.24 ^o	238.44 ^o	1904.80 ^o	1965.63 ^o	8.29 ^o	12.52 ^o	178.43 ^o	183.27 ^o	-2.71 ^o
1.8 ^o	2468.34 ^o	297.91 ^o	2170.43 ^o	2246.44 ^o	8.99 ^o	13.73 ^o	199.57 ^o	205.62 ^o	-3.03 ^o
1.9 ^o	2799.38 ^o	365.35 ^o	2434.03 ^o	2527.24 ^o	9.27 ^o	15.01 ^o	220.54 ^o	227.96 ^o	-3.36 ^o
2.0 ^o	3136.73 ^o	441.29 ^o	2695.46 ^o	2808.04 ^o	10.48 ^o	16.37 ^o	241.35 ^o	250.31 ^o	-3.71 ^o

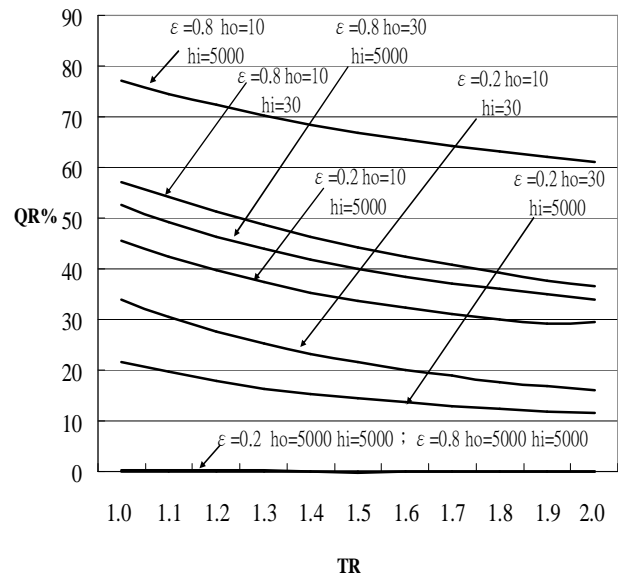


Fig. 2 The relations between QR and TR in situation of $K_A=77\text{W/m-K}$, $r_1=195\text{mm}$, $r_2=200\text{mm}$, $T_i=573\text{K}$ with $T_o=T_{sur}=286.5\text{K}\sim 572\text{K}$

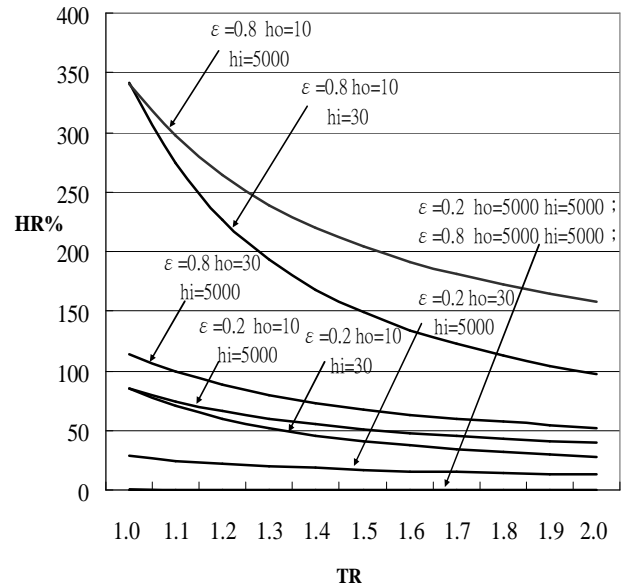


Fig.3 The relations between HR and TR in situation of in situation of $K_A=77\text{W/m-K}$, $r_1=190\text{mm}$, $r_2=200\text{mm}$, $T_i=573\text{K}$ with $T_o=T_{sur}=286.5\text{K}\sim 572\text{K}$

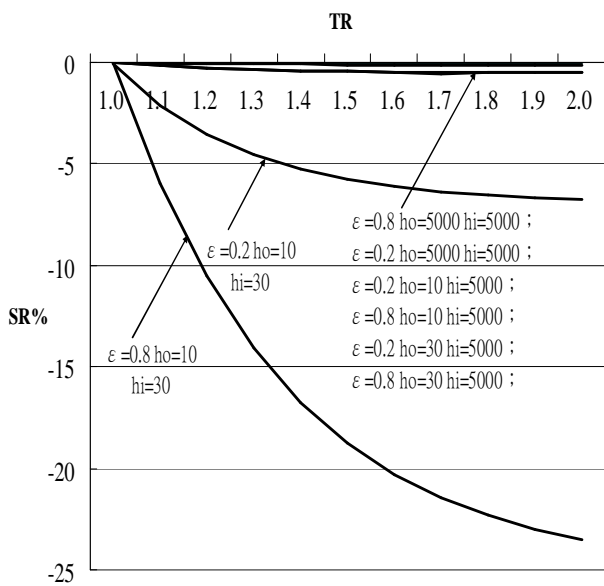


Fig. 4 The relations between SR and TR in situation of $K_A=77\text{W/m-K}$, $r_1=195\text{mm}$, $r_2=200\text{mm}$, $T_o=T_{\text{sur}}=573\text{K}$ with $T_i=T_{\text{sur}}=286.5\text{K}\sim 572\text{K}$

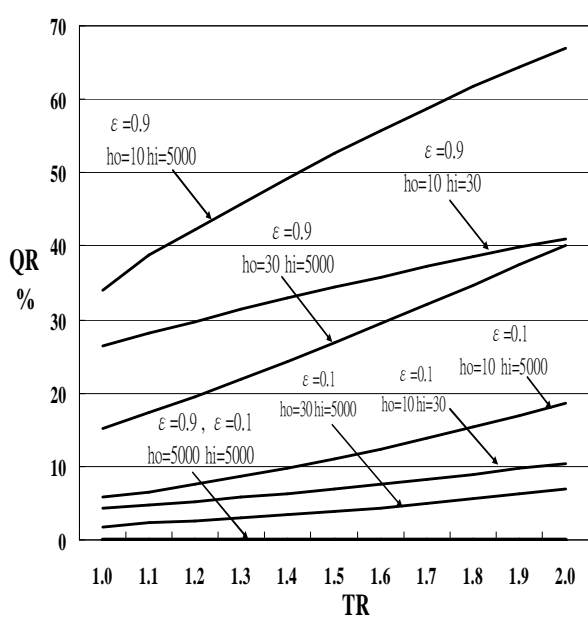


Fig. 5 The relations between QR and TR in situation of $K_A=77\text{W/m-K}$, $r_1=195\text{mm}$, $r_2=200\text{mm}$, $T_o=T_{\text{sur}}=300\text{K}$ with $T_i=301\text{K}\sim 600\text{K}$

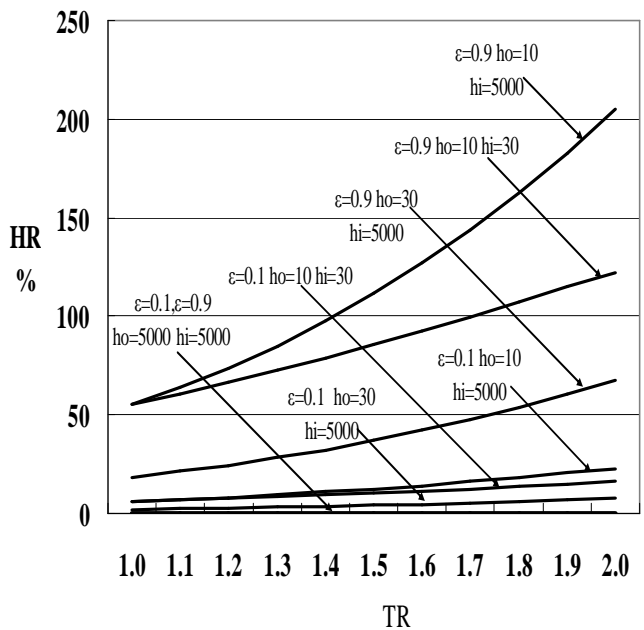


Fig. 6 The relations between HR and TR in situation of $K_A=77\text{W/m-K}$, $r_1=195\text{mm}$, $r_2=200\text{mm}$, $T_o=T_{\text{sur}}=300\text{K}$ with $T_i=301\text{K}\sim 600\text{K}$

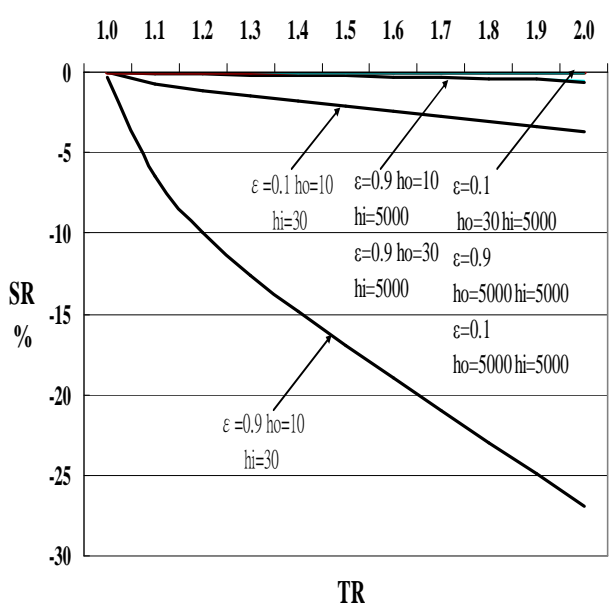


Fig. 7 The relations between SR and TR in situation of $K_A=77\text{W/m-K}$, $r_1=195\text{mm}$, $r_2=200\text{mm}$, $T_o=T_{\text{sur}}=300\text{K}$ with $T_i=301\text{K}\sim 600\text{K}$

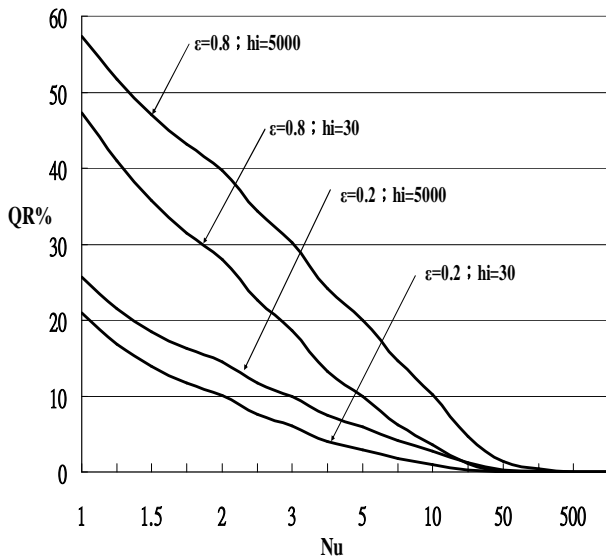


Fig. 8 The relations between QR and Nu in situation of $K_A=1.7\text{W/m-K}$, $r_1=165\text{mm}$, $r_2=170\text{mm}$; $T_i=100^\circ\text{C}$, $T_o=T_{\text{sur}}=30^\circ\text{C}$

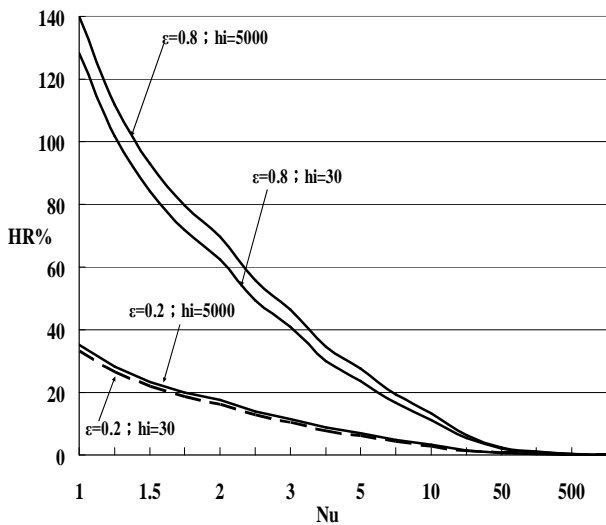


Fig. 9 The relations between HR and Nu in situation of $K_A=1.7\text{W/m-K}$, $r_1=165\text{mm}$, $r_2=170\text{mm}$; $T_i=100^\circ\text{C}$, $T_o=T_{\text{sur}}=30^\circ\text{C}$

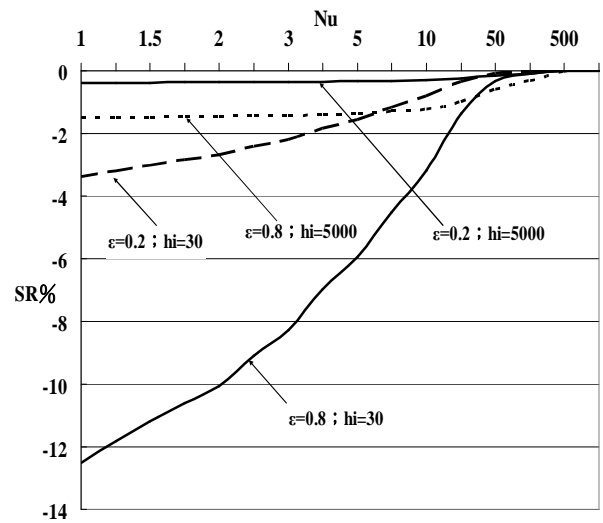


Fig. 10 The relations between SR and Nu in situation of $K_A=1.7\text{W/m-K}$, $r_1=165\text{mm}$, $r_2=170\text{mm}$; $T_i=100^\circ\text{C}$, $T_o=T_{\text{sur}}=30^\circ\text{C}$

Conclusion

From the results of this study, it is evident that even the temperature difference between internal and external fluids of circular duct is very small, neglecting the influence of heat radiation, especially in situations of lower external ambient air convection coefficients and greater surface emissivity, as well as the smaller the duct size or the greater the duct conductivity or internal fluid convection coefficients, tends to result in inaccurate solutions. It is also demonstrated that a greater surface emissivity can greatly improve the performance of a heat exchanger. Since incorporating the effect of heat radiation into computer software, such as LabVIEW, used in the present study, only requires little effort, heat radiation effect should be taken into account in any study concerning heat transfer of a duct.

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